The Title of My Paper

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Abstract

This is my not really very long abstract. This is my not really very long abstract.

1 Introduction

Note these beautiful Unicode symbols: $\ddot{a} \ddot{o} \ddot{u} \in$ and β . See my papers [6, 5]. Also see [1] and [3] and do not overlook [2] and [4]. See Section 5.

This is another paragraph. This is another paragraph.

The typographically very important effect of hyphenation. The typographically very important effect of hyphenation.



Figure 1: My Figure

2 My Results

See Figure 1 on page 2.

One Thought Some formulas:

$$(a+b)^{2} = a^{2} + 2ab + b^{2}$$
$$SUM = SUM = S \cdot U \cdot M$$

No new paragraph (no indentation).

Another Thought The Gauss formula $\sum_{i=1}^{n} i = \frac{n(n+1)}{2}$ displayed:

$$\sum_{i=1}^{n} i = \frac{n(n+1)}{2}$$

Now a new paragraph (indentation): Einstein says $E = mc^2$ ("Energy equals mass times the square of the speed of light (c)").

Some Typography St. John vs. St. John. Fig. 5 vs. Fig. 5. Vice-president. Monday–Tuesday. Wait — I have an idea. "Wrong Quote" vs. "Correct Quote".

3 Some Mathematics

Definition 1 (Surjectivity) Let $f: A \rightarrow B$ be a function from A to B. Then f is *surjective* if for every b in B there is some a in A such that f applied to a yields b, formally:

$$\forall b \in B. \ \exists a \in A. \ f(a) = b.$$

Theorem 1 (Composition of Surjective Functions) Let $f : A \to B$ and $g : B \to C$ be surjective functions (see Definition 1). Then the function $f \circ g : A \to C$ (defined as $(f \circ g)(a) := g(f(a))$) is surjective.

PROOF Left as an exercise to the reader.

4 Some Programs

Algorithm 1 Compute the set *P* of all primes less than equal $n \in \mathbb{N}$ Require: $n \in \mathbb{N}$ Ensure: $P = \{p \mid p \in \mathbb{N} \land p \le n \land isPrime(p)\}$ $P \leftarrow \emptyset$ $C \leftarrow \{2, ..., n\}$ while $C \ne \emptyset$ do $p \leftarrow \min(C)$ $P \leftarrow P \cup \{p\}$ $C \leftarrow \{c \in C : p \mid c\}$ end while

See Algorithm 1.

```
// HelloWorld.cpp
#include <iostream>
using namespace std;
int main() {
  char message[] = "Hello, World!";
  for (int i=0; i<10; i++)</pre>
    cout << message << "\n";</pre>
}
// HelloWorld.cpp
#include <iostream>
using namespace std;
int main() {
  char message [] = "Hello, World!";
  for (int i=0; i<10; i++)
    cout << message << "\n";</pre>
}
```

5 Conclusions

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